Stimuli-Sensitive Hawkes Processes for Personalized Student Procrastination Modeling



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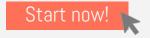
Sigian Zhao

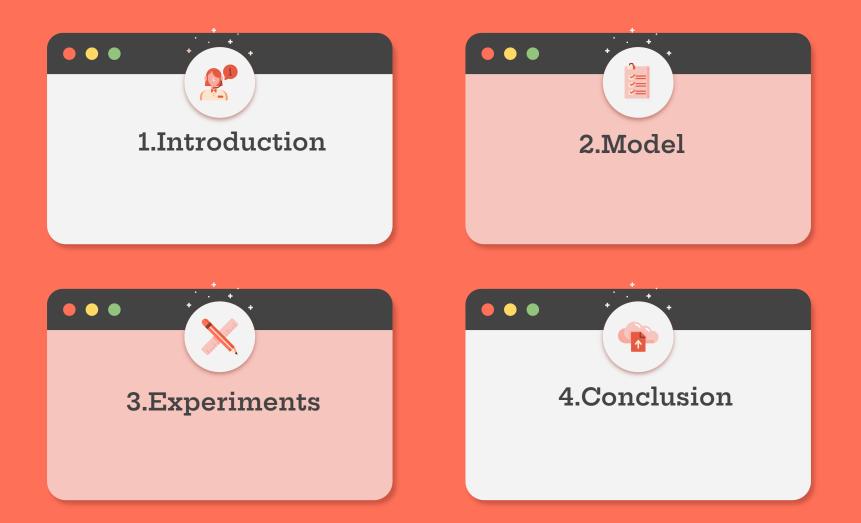


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1.1 Procrastination Modeling in MOOCs



MOOCs? = Massive Open Online Courses Procrastination? Voluntary delay (≈ cramming behaviors) $\mathbf{\hat{v}}$

Why Important?

Bad & prevalent Detect & predict regulate & prevent

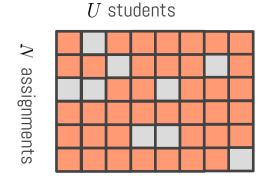
	1.Introduction	2.Model	3.Experiments	4.Conclusion
•••			1.2.	1 Limitations
• • •	Not personalized	· ·	: triggers of procrastina	tion
			1.2.2 Prop	osed solutions

 We propose a novel temporal point process model by collaboratively modelling all student sequences together including the missing ones, which captures 3 dynamic types of external triggering stimuli of procrastination.

	1.Introduction	2.Model	3.Experiments	4.Conclusion
2.1.Formulation			•• 2. N	ſodel
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2.4.0ptimization				

2.1. Formulation

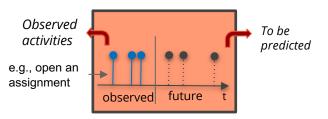
NxU student-assignment pairs



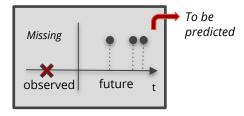
$$(u_i, a_j) \quad X_{ij} = \{x_{ij}^{\tau} | \tau = 1, ..., K_{ij}\}$$

Step index

Current/finished assignments



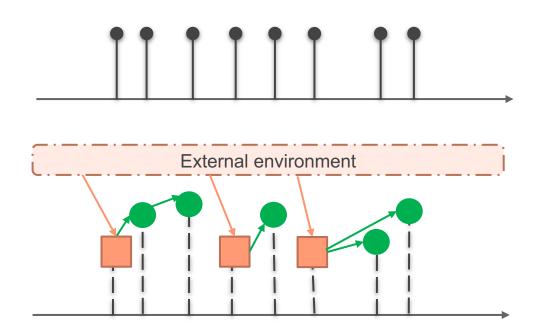
Future/missed assignments





2.1. Formulation (cont.)

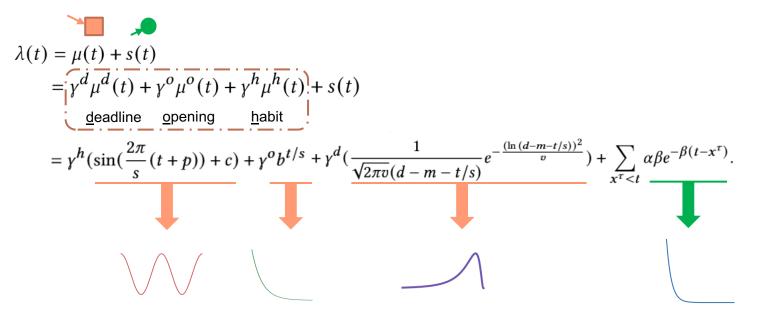
• Furthermore, we assume that there are two types of triggers: internal stimuli (🔎) and external ones (🎽).





2.2. Intensity Function

- Typically, a point process is defined by the intensity function that describes the number of activities as a function of time, conditioning on the observed history.
- In this work we parameterize each student-assignment pair's intensity via the following:



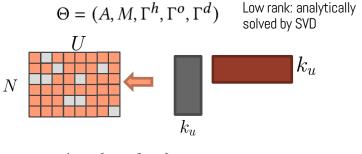
2.3. Objective Function

• MLE of observing the history of *one* student-assignment pair:

$$l(X;\theta) = \log L(\theta) = \sum_{\tau=1}^{K} \log(\lambda(x^{\tau}) - \int_{0}^{x^{K}} \lambda(u) du$$

• Total Loss of observing *all* sequences in observed sequence set ${\cal O}$:

$$\begin{split} & \min_{\Theta,\phi} \mathcal{L} = -\frac{1}{|\mathcal{O}|} \sum_{X_{ij} \in \mathcal{O}} l(\mathcal{X}_{ij}; \Theta_{ij}, \phi_i) \\ & \text{s.t. } \mathbf{A} \geq 0, \Gamma_d \geq 0, \Gamma_o \geq 0, \Gamma_h \geq 0, \mathbf{c} \geq 1, \mathbf{v} > 0, 1 > \mathbf{b} > 0 \\ & tr(\theta_u) \leq k_u, \text{ for } \theta_u \in \Theta_{ij}. \end{split}$$



 $\phi = \{ \mathbf{c}, \mathbf{p}, \mathbf{b}, \mathbf{v} \}$ Shared across assignments

2.4. Optimization

• We adopt Accelerated Gradient Method (AGM) framework for the inference of parameters

To compute the proximal operator with matrix format: $\Theta = (A, M, \Gamma^h, \Gamma^o, \Gamma^d)$

$$\begin{aligned} \theta_{u}^{*} &= \operatorname{argmin}_{\theta_{u}} \mathcal{M}_{\gamma, \theta_{u}^{S}}(\theta_{u}) \\ &= \operatorname{argmin}_{\theta_{u}} \frac{\gamma}{2} \|\theta_{u} - P_{\theta_{u}}(\theta_{u}^{S} - \frac{1}{\gamma} \nabla_{\theta_{u}} \mathcal{L})\|_{F}^{2}. \end{aligned}$$

To compute the proximal operator with vector format: $\phi = \{c, p, b, v\}$

 $\phi_u^* = \operatorname{argmin}_{\phi_u} \mathcal{M}_{\phi_u^S, \gamma}(\phi_u)$ = $\operatorname{argmin}_{\phi_u} \frac{\gamma}{2} \|\phi_u - P_{\phi_u}(\phi_u^S - \frac{1}{\gamma} \nabla_{\phi_u} \mathcal{L})\|_F^2.$

3. Experiments



3.1.1. Baselines

We consider the following baselines from these 4 aspects:

Model	Solf avaiting	Non-constant	Infer completely	Application	
	Self-exciting	base of time	missing seq.	in Education	
Poisson	×	×	×	×	
HRPF	×	×	\checkmark	×	
RMTPP	\checkmark	\checkmark	×	×	
ERPP	\checkmark	\checkmark	×	×	
DHPR	\checkmark	×	\checkmark	×	
HPLR	\checkmark	×	\checkmark	×	
EdMPH	\checkmark	×	×	\checkmark	
SSHP	\checkmark	\checkmark	\checkmark	\checkmark	

3.Experiments

3.1.2. Datasets

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Synthetic datasets

We simulated 500 students 20 assignments and sampled ~100 activities per student-assignment pair via Ogata Thining. Then we created:

Syn-10

Randomly selected **10%** pairs and their activities to be entirele missing

Syn-90

Randomly selected **90%** pairs and their activities to be entirele missing

Real-world datasets

CANVAS

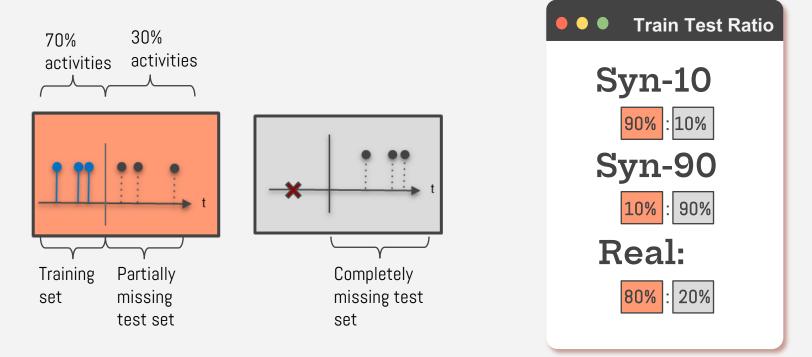
It is from the Canvas Network online platform; we extracted ~729K timestamps from **384** and **6** graded quizstyle assignment

MORF

It is collected from an 8-week Big Data in Education course on the Coursera platform; we extracted ~52K timestamps from 246 students and 8 assignments.

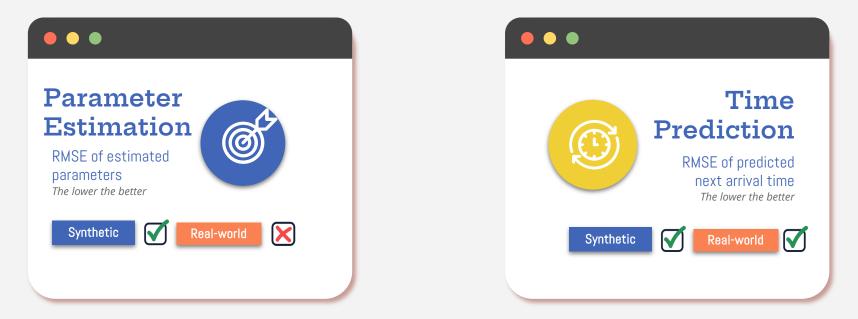


3.2. Experiment Setup





3.3. Evaluation

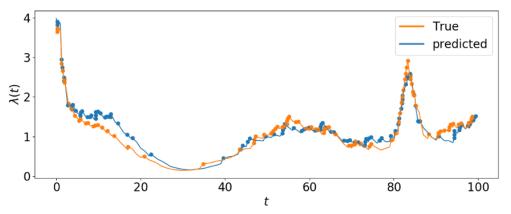


3.2 SSHP Evaluation - Parameter Estimation

Datasets	5	v	b	р	с	Α	M	Γ^d	Γ^{o}	Γ^{h}
Syn-10	part. miss.	1.33	0.1	1.33	0.09	0.05	2.64	1.65	1.08	0.16
	compl. miss.	1.23	0.12	1.39	0.16	0.13	2.60	2	1.54	0.13
Syn-90	part. miss.	1.34	0.10	1.33	0.09	0.06	2.39	1.80	1.14	0.18
	compl. miss.	1.31	0.12	1.38	0.16	0.12	2.61	1.97	1.51	0.17

• RMSE of parameters learned by SSHP in synthetic datasets.

• Visualization of the predicted Intensity of a synthetic sequence.

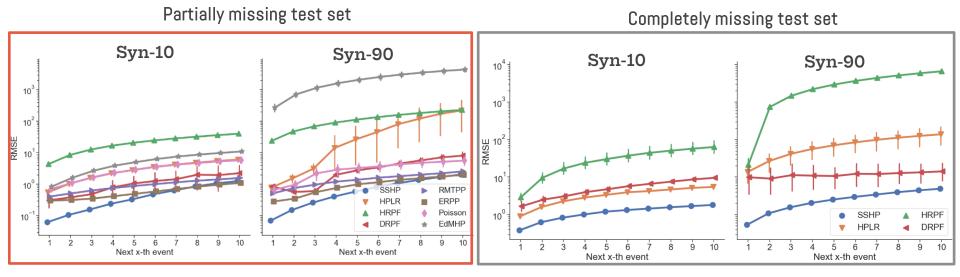


- Marginally higher RMSE in Syn-90 than Syn-10: robust to missing ratio
- The figure demonstrates model's ability in accurately capturing the dynamics of the sequence.

3.Experiments 4.Conclusion

3.2. SSHP Evaluation - Time prediction (synthetic)

2.Model





1.Introduction

- Smaller RMSE than baselines in all settings
- Smaller RMSE increase in Syn-90 comparing with Syn-10
- Similarly, smaller RMSE increases in completely missing test set

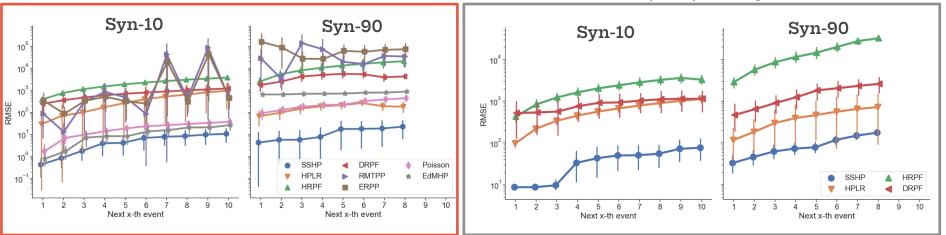
1.Introduction

4.Conclusion

3.2. SSHP Evaluation – Time prediction (real)

Partially missing test set

Completely missing test set





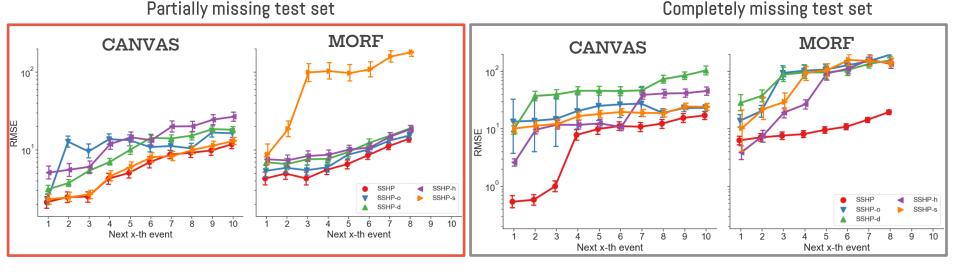
 Consistent performance of SSHP with Syn-10 and Syn-90: i.e. smaller RMSE, more robust to missing ratio and missing history.



3.Experiments

3.3. Ablation Study

• To verify each component's importance in the intensity function, we compare SSHP to its variations SSHP-*s* (internal self-excitement), SSHP-*o* (assignment opening), SSHP-*h* (habit) and SSHP-*d* (deadline).

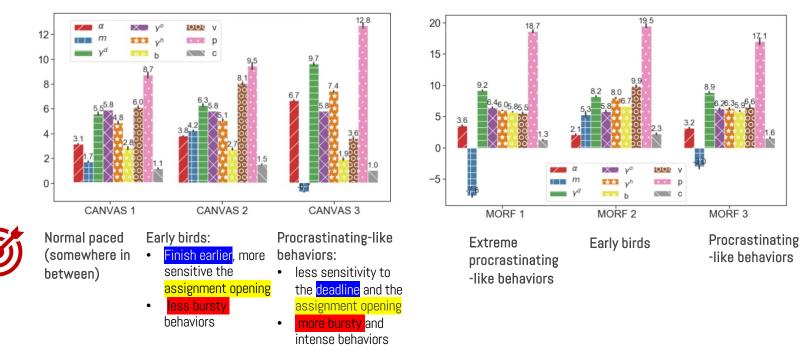


- Smaller RMSE of SSHP: importance of modeling each type of stimuli
- In partially missing set: internal triggering is more important in MORF (more bursty)
- In completely missing set: deadline is the most important factor, especially in CANVAS

4.Conclusion

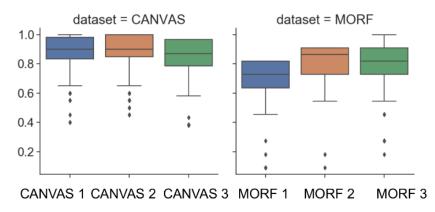
3.4. Procrastination Analysis – clustering analysis

• To see if the learned parameters can describe students' cramming and procrastination behaviors, we cluster all student-assignment pairs via K-Means (via elbow method).



3.4. Procrastination Analysis – association with grades

• We check the distribution of grades of these clusters and run Kruskal-Wallis to check the significance of differences between each pairs of clusters.





- P-values of KS <<0.05: significant differences in grade distributions among clusters
- Procrastination like behaviors (MORF 1 and CANVAS 3) are associated with lower grades
- SSHP captures meaningful underlying procrastination patterns and performances

4.Conclusion

4.Conclusions

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We propose our novel Stimuli-sensitive Hawkes Process model that address the limitations of literature (static, not personalized, discards missing sequences, not sensitive to external stimuli).

SSHP achieves better performances than state-of-the-art in synthetic and real datasets SSHP successfully captures **3 types of procrastination external stimuli** (deadline, assignment opening and student habits), and each of them has shown to be **important** in ablation study.

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We provide an effective solution to the problem of procrastination modeling, and identify meaningful types of procrastination behaviors associated with grades (lowperforming extreme procrastinators)

Thank you!

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Feel free to let us know if you have questions!









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