Adaptive Workload Equalization in Multi-Camera Surveillance Systems



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Outline

- Introduction and Motivation
- Related Work
- Workload Model
- Dynamic Load Sharing
- Conclusions

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Automated Surveillance

- Large number of cameras
 - Detection/Recognition
 - Tracking
 - Activity Analysis





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Current Trend: Distributed Processing

• IP Cameras and distributed processors



What is the Problem?

 Host (machine or human operator) to camera ratio is generally fixed ⇒ workload imbalance



Solution?

Dynamic assignment of cameras-to-hosts based on workload



Key Research Questions



Smoking is not good for health

- Workload
 - How does workload vary with time?
 - What does it depend on?
 - Dynamic Scheduling
 - How to schedule the cameras to hosts in a dynamic manner?

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Previous Workload Models

- GMM
- Multi-class
- Cluster based

Do not capture

dynamics

Markov Model

Need to answer what

does it depend on!

Novelty over existing works

COMPARISON WITH PREVIOUS WORKS

Work	Workload modeled?	Semantic considered?	Dynamic assignment	CCTV Ap- plication?
Soldatini et al. [6]	No	No	No	No
Marcenaro et al. [7]	Static	No	No	No
Detmold et al. [8]	No	No	No	No
Collins et al. [9]	No	No	No	No
Marchesotti et al. [10]	No	No	No	No
Trivedi et al. [11]	No	No	No	No
Dias et al. [12]	No	No	No	No
Calderara et al. [13]	No	No	No	No
Saini et al. [2]	Static	Yes	No	No
Chang et al. [14]	Static	No	No	No
Proposed Method	Adaptive	Yes	Yes	Yes

Key Contributions

- The Markov chain based workload model which exploits the environment semantics to capture the variability of the workload.
- Dynamic load sharing methods which equalize the workload of hosts (or processors) to improve the surveillance performance.

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Workload Modeling as Markov Chain

 Semantic characteristics of the workload are captured in a Markov chain, with states representing the number of targets in the environment.

Target Flow Graph

• An operating scenario is represented by a Target Flow graph (TFG), which consists of a set of tuples

$$TFG = \{(\tau_k, g_k) \mid k \in [1, l]\}$$

where g_k is the number of targets at time τ_k , and *l* is the total number of observations.



Markov Chain Construction

- The processing time and memory requirement for each frame mainly depend on the number of targets in the surveilled area.
- A Markov chain preserves the temporal behavior of the workload in its states and thus can capture the variability of the workload.



Markov Chain Construction 2

• The number of states in a Markov chain is *m*+1, where *m* is determined by the following equation:

 $m = \max\{g_k \mid (\tau_k, g_k) \in TFG, k \in [1, l]\}.$

In other words, *m* is the maximum number of targets expected in the surveilled area.

• The set of states of this Markov chain can be defined as follows:

$$S = \{s_0, s_1, \dots, s_m \mid \forall i, j \in [0, m], s_i = i, s_i \neq s_j\}.$$

Markov Chain Construction 3

• The transition probabilities are represented in the form of a matrix .

$$\chi = \left\{ p_{ij} \mid p_{ij} = \frac{n_{ij}}{n_i}, \ i, j \in [0, m] \right\}.$$

where n_i is the number of times the camera is in state s_i and n_{ij} is the number of times the camera transiting from state s_i to state s_i

• Let $\Pi = (\pi_1, \pi_2, \dots, \pi_n)$ be the steady state probabilities of the states.

$$\Pi = \{ \pi_i \mid \pi_i = p'_{ij}, p'_{ij} \in \chi^{Inf}, \ i = C, j \in [0, m] \}$$

Model Validation

• Experimental setup



SPECIFICATIONS OF THE SYSTEM

Operating System	Microsoft Windows XP
Platform	Visual C++ 2008
Additional Libraries	OpenCV
Computer	Intel(R) T2300 @ 2.33GHz, 0.99GB Ram
Image Resolution	320×240 captured by AXIS IP camera

• We first record the target flow pattern and construct the TFG. The TFG is then used to calculate the transition and steady state probabilities.

Model Validation 2

• We calculate the mean and variance of the processing time.

State/Ta	argets	μ (millisecond	ds) σ (milliseconds)
0		496	24
1		518	30
2		557	30
3		662	38
4		733	78

STATE-WISE VALUES OF MEAN AND VARIANCE OF PROCESSING TIMES

• Processing time α Number of targets.

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Dynamic Load Sharing: Goal and Need

- Goal: to have similar numbers of targets to be processed by each host
- The workload model is used for dynamically assigning the video streams to hosts to equalize the workload.
- The amount of resources required depends on the state of the environment being observed by the camera.
- These states can be dynamically calculated for each camera.

Equalization Function

 Now, if there are N_{pc} processors and C_{pc}(j) is the set of cameras assigned to the jth processor, our objective is to find an assignment scheme which maximizes the equalization function:

$$E_{pc} = \frac{1}{\left(L_{av} + \Delta\right)^{N_{pc}}} \prod_{j=1}^{N_{pc}} \left(\sum_{\forall k; c_k \in C_{pc}(j)} s(c_k) + \Delta\right)$$

with $L_{av} = \frac{1}{N_{pc}} \sum_{j=1}^{N_{pc}} L(j)$ $L(j) = \sum_{\forall k; c_k \in C_{pc}(j)} s(c_k)$

• where c_k is the *k*th camera, is $s(c_k)$ the state of that camera, and Δ is a small number that accounts for the analysis workload when there are no targets.

Dropped Targets

• Apart from equalization, we analyze the number of targets dropped for a given processor limit of *L*th targets at a time:

$$\mathcal{N}_d = \sum_{j=1 \text{ to } N_{pc} \text{ and } L(j) > L_{th}} |L_{th} - L(j)|.$$

Two Main Questions

- Two main questions:
 - How do we do the reassignment?
 - We present three methods (DAS, IDAS and Spiral) for camera assignment
 - When do we recalculate the transition probabilities and do the reassignment?
 - The transition probabilities of the states play an important role in workload equalization
 - We propose an Adaptive Reassignment Strategy based on workload.



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- Camera Assignment Methods
 - A naive approach perform the reassignment at each time instant, based on the current number of targets.
 - ensure an equalized, number of targets, but it will cause a large number of camera switching.
 - We describe three methods for camera assignment in which the reassignment is done based on the current workload as well as the future expected workload
 - Divide and Swap (DAS) method
 - Improved Divide and Swap (IDAS) method
 - Spiral method

• DAS method

- In this method, the processors are divided into overloaded and workload deficient groups, and then state transition probabilities are compared against thresholds for swapping the cameras between two types of processors.
- IDAS method
 - Remove the probability thresholds which are difficult to compute. Hence, it is a more generic method.
 - Perform the reassignment in decreasing order of workload in the overloaded processors and increasing order in the load deficient processors until one of these groups is empty.

Spiral method

- The IDAS method tries to respect the old camera-toprocessor assignment while doing equalization; therefore, it is locally applied at the processor level.
- In the spiral method, we give more importance to the equalization and take the problem at a global level.
- Let $\mathcal{R} = \{c_1, c_2, \dots c_{N_{cm}}\}\$ be the set of cameras arranged in decreasing order of the workload, the current assignment for the *j*th processor is calculated as

$$C_{pc}(j) = \left\{ c_k, \forall k; (k-j)\%\rho = 0, \ \rho = \frac{N_{cm}}{N_{pc}} \right\}$$

 Drawback: Does not respect existing camera assignment, hence causes more switching.

- Time complexities of the three methods
 - DAS: $O(N_{pc} \times N_{cm})$
 - IDAS: $O(N_{pc} \times (m+N_{cm}))$
 - Spiral: $O(m \times N_{cm})$
- Since *m* is usually significantly less than N_{pc} and N_{cm} , Spiral method would be faster than DAS and IDAS.
- However, IDAS would need more time to calculate the expected workload (term *m*), and would therefore be slower than DAS.

Adaptive Reassignment Strategy

- Monitor equalization error over time.
- Whenever this error becomes more than some threshold, we recalculate the transition matrix and perform the reassignment.
- We show through experiments how to obtain the optimal window length to calculate the transition probabilities threshold for comparing equalization error.

- Objective:
 - To demonstrate the utility of the three proposed methods
- Experimental Setup:
 - We simulate a distributed surveillance system with 100 cameras and 20 processors ($N_{pc} = 20$).
 - All processors are assumed to be of equal power (m = 15).
 - We keep the number of cameras connected to the processors fixed to five and vary their assignment to processors in reassignment phase.
 - Δ is assumed to be 1.

- Performance Measures:
 - We use four performance measures to evaluate our methods:
 - Equalization error (E_{pc}) ,
 - Number of targets dropped $(\mathcal{N}_d)_{d}$
 - Number of cameras switched (\mathcal{N}_s) , and (\mathcal{N}_i)
 - Number of reassignment instances





- Data Set:
 - Five different videos from PETS, each of which consists of 2000 frames taken at 2000 time instants; and five real surveillance video clips consisting of 5000 frames each.
 - We extracted the blob information from these videos and simulated a distributed system in Matlab to evaluate the performance of the proposed methods.
 - For the PETS dataset, 20 cameras were simulated using each video. The data for 20 cameras is obtained using the same video but shifting the time axis and copying.

PETS: <u>www.cvg.cs.rdg.ac.uk/slides/pets.html</u>



clips. (a) PETS data. (b) Real data.

• *E*_{pc} (Effect of static camera assignment)



Both assignments work well in patches and it is hard to find the

better one

Fig. 4. Equalization E_{pc} for two random static camera assignments. (a) PETS data. (b) Real data.

• Evaluation of DAS, IDAS and Spiral methods



On average, the equalization is improved by 35% for the real data and 24% for the PETS data, but at the cost of

camera switching

Fig. 5. Comparison of static and dynamic workload assignment methods when reassignment is performed for every frame. (a) PETS data. (b) Real data.

• Evaluation of DAS, IDAS and Spiral methods

Method	E_{pc}	Targets Dropped	Camera switch- ings	Reassignment in- stants
Static	0.5842	3190	0	0
Spiral	0,7873	139	465069	5000
DAS	0.7835	506	45318	5000
IDAS	0.7967	407	56170	5000

TABLE IV

TABLE V EFFECT OF DYNAMIC CAMERA ASSIGNMENT ON PETS DATA

Method	E_{pc}	Targets Dropped	Camera reassignments	Reassignment in- stants
Static	0.7736	7436	0	0
Spiral	0.9558	411	183426	2000
DAS	0.9547	740	10180	2000
IDAS	0.9624	408	8682	2000

• Evaluation of DAS, IDAS and Spiral methods



Fig. 6. Performance of dynamic camera assignment methods with E_{pc} as feedback for real data. (a) Equalization. (b) Targets dropped. (c) Cameras switched. (d) Reassignment instants.



Fig. 7. Performance of dynamic camera assignment methods with E_{pc} as feedback for PETS data. (a) Equalization. (b) Targets dropped. (c) Cameraa awitched. (d) Reassignment instants.

• Adaptive Calculation of Transition Probabilities



Fig. 8. Performance of adaptive methods for different learning window sizes, $E_{th} = 0.7$ for real data. (a) Equalization. (b) Targets dropped. (c) Cameras switched. (d) Reassignment instants.



Fig. 9. Performance of adaptive methods for different learning window sizes, $E_{th} = 0.8$ for PETS data. (a) Equalization. (b) Targets dropped. (c) Cameras switched. (d) Reassignment instants.

• Comparison with random assignment

TABLE VI EFFECT OF TRANSITION PROBABILITIES FOR REAL DATA

Method	E_{pc}	Targets	Camera switch-	Reassignment in-
		Dropped	ings	stants
Random	0.5547	5469	474939	5000
Static	0.5842	3190	0	0
Dynamic	0.7530	525	21166	237

TABLE VII EFFECT OF TRANSITION PROBABILITIES FOR PETS DATA

Method	E_{pc}	Targets Dropped	Camera switch- ings	Reassignment in- stants
Random	0.7949	13203	189983	2000
Static	0.7736	7436	0	0
Dynamic	0.8644	6569	240	19

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Conclusions

- All three dynamic load sharing methods provide better equalization than static methods.
- Random reassignment method performs better than static method, but poorly in comparison to dynamic load sharing methods.
- Employing a feedback mechanism to perform reassignment reduces the overhead drastically, with marginal compromise in equalization.
- Adaptive calculation of transition probabilities further reduces overhead.
- Spiral method is faster than DAS and IDAS in terms of computational complexity.

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Happy Endings



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Happy Endings



Publications

- M. Saini, X. Wang, P. K. Atrey and M. S. Kankanhalli. Dynamic workload assignment in video surveillance systems. *IEEE International Conference on Multimedia* and Expo (ICME'2011), July 2011, Barcelona, Spain.
- M. Saini, X. Wang, P. K. Atrey, and M S. Kankanhalli. Adaptive workload equalization in multi-camera surveillance systems. *IEEE Transactions on Multimedia*, 14(3):555-562 (2012).

What Next?

- This is not the end of the world.
- Evaluate the effectiveness of the dynamic load sharing methods with real surveillance implementations and explore non-preemptive scheduling methods.